- **1. D** Mega (M) is 10⁶
- **2. B** Leaves are again neutral and return to equilibrium
- **3. D** All others have magnitude and direction
- **4.** A $v^2 = v_0^2 + 2a\Delta x$
- **5. E** Displacement is a vector
- **6.** A K temperature = 0 C + 273
- **7. B** $(0.16/2.54) \times 100 = 6.3$
- **8. D** $\tan \theta = v^2/rg$
- **9. B** r = d/2; $A=4\pi r^2$
- **10. C** L= $\lambda/2$ for open pipe
- **11. C** Pressure is evenly distributed
- **12. C** $1/R_p = 1/20\Omega + 1/20\Omega = 10 \Omega$; $R_{eq} = 10 \Omega + 10 \Omega + 30 \Omega = 50 \Omega$
- **13. D** Both momentum and energy are always conserved
- 14. C Block 1 will experience no friction and will therefore travel the distance in the least amount of time. Blocks 2 & 3 will experience equivalent amounts of friction and will take equal amounts of time to travel.
- **15. B** $PV = nRT = nk_BT$
- **16. D** $\Delta v = a\Delta t$
- **17.** D $A_{Total} = A_{inside} + A_{outside} + A_{ends}$
- **18. A** $V_{Total} = \varepsilon + V_r = IR + Ir$
- **19. A** Yes, if $f < d_o < R$
- **20. A** $\tau = I\alpha; \tau = Fr; I\alpha = Fr; I = ½ mr²$
- **21. B** $v = v_0 + a\Delta t$
- **22. D** $\Delta x = v_0 \Delta t + \frac{1}{2} a \Delta t^2$
- **23. B** Faraday explained it well...
- **24.** B $v_0 = (\sin \theta) v$; $v^2 = v_0^2 + 2a \Delta x$
- **25. D** $I = Q/t = ne^{-}/t$; n=It/e-
- **26.** C f = 1/t; $t_{pendulum} = 2\pi \sqrt{\frac{l}{g}}$
- **27. B** Right hand rule #1

- Rock: $\Delta x = v_0 \Delta t + \frac{1}{2} a \Delta t^2$; Ball: $\Delta x = v_0 \Delta t + \frac{1}{2} a \Delta t^2$; Both: $v = v_0 + a \Delta t$; After 2.1 s, rock is traveling 21.0 m/s and the ball at 36.0 m/s. From that point on, they are both in an accelerating reference frame and the difference in speeds will always be 15.0 m/s
- **29.** A $h_o/h_i = -d_o/d_i$ $1/f = 1/d_o + 1/d_i$
- **30. B** $\omega = \Delta\theta/\Delta t$; Angular displacement measured in radians and time in seconds
- 31. B Adjacent nodes are separated by $\lambda/2$ and adjacent antinodes are separated by $\lambda/2$. Therefore, a node is separated from an adjacent antinode by $\lambda/4$.
- **32. B** Electric field vectors point from positive to negative
- **33. B** $P = W/t = Fr/t = \tau \omega$
- **34.** A Lowest energy transitions are Lyman series
- **35. D** $\varepsilon = Blv = N(BA)/t$
- **36. B** F = mg; F = -kx; $t_{mass/spring} = 2\pi \sqrt{\frac{m}{k}}$
- **37.** A $F = qvBsin\theta$
- 38. D
- **39. D** $t = 2\pi/\pi/2 = 4$
- **40. C** hf = $KE_e + W_o c = \lambda f$
- 41. D
- **42. A** PV = n RT
- 43. A
- 44. E
- 45. D
- 46. B
- 47. C
- **48. D** $\tau = RC$; $1/\tau = 1/RC$
- **49. C** $E = \frac{mc^2}{\sqrt{1 \frac{v^2}{c^2}}} \quad p = \frac{mv}{\sqrt{1 \frac{v^2}{c^2}}}$
- **50.** C $Q/t = e\sigma T^4 A$; P'/P = d²/(d²/4)